



UNIVERSITÄT ZU LÜBECK  
INSTITUT FÜR INFORMATIONSSYSTEME

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# Stream Processing 1

*Lecture 11: Temporal OBDA, Relational Stream Processing*  
*3 February, 2016*

*Foundations of Ontologies and Databases  
for Information Systems  
CS5130 (Winter 2015)*

## Solutions for Exercise 8

## Solution for Exercise 8.1 (4 Bonus points)

Belief Revision has strong connections to Non-monotonic reasoning: For any (say consistent) belief set  $K$  one can define an entailment relation  $\models_K$  as follows:

$$\alpha \models_K \beta \text{ iff } \beta \in K * \alpha$$

Answer the question whether  $\models_K$  is a monotonic entailment relation, i.e., whether it fulfills:

$$\text{If } X \models_K \alpha \text{ and } Y \subseteq X, \text{ then } Y \models_K \alpha$$

**Solution:** Clearly the entailment relation is non-monotonic. Consider  $K = \text{Cn}(p \rightarrow q)$ ,  $X = \{p\}$ ,  $X' = \{p, \neg q\}$ . We have  $X \models_K q$ , but not  $X' \models_K q$ .

## Exercise 8.2 (4 Bonus points)

An alleged weakness of AGM belief revision is dealt under the term “Ramsey Test”. Inform yourself on this test and explain how it works.

**Solution:** Define counterfactual conditionals  $\alpha \triangleright \beta$  using the above entailment relation. The Ramsey test gives an acceptability criterion for the acceptance of counterfactual condition stating: counterfactual  $\alpha \triangleright \beta$  is accepted in  $K$  iff  $\beta$  belongs to revision result with  $\alpha$ . If the language in which the belief sets and the triggers are described contains a connective for the counterfactual—i.e. if the counterfactual is part of the object language, then the Ramsey test reads as

$$\alpha \triangleright \beta \in K \text{ iff } \beta \in K * \alpha$$

Gärdenfors showed that in this case there cannot be a non-trivial AGM belief revision fulfilling the Ramsey test (because such a revision operator would be monotonic in the left argument).

## Exercise 8.3 (4 Bonus Points)

Consider the following postulate for belief bases  $B$ :

(R) If  $\beta \in B$  and  $\beta \notin B * \alpha$ , then there is some  $B'$  with

1.  $B * \alpha \subseteq B' \subseteq B \cup \{\alpha\}$
2.  $B'$  is consistent
3.  $B' \cup \{\beta\}$  is inconsistent

First describe this postulates in natural language. What would be a good name for this postulate (which was invented following a criticisms of AGM revision)?

**Solution:** If a sentence ( $\beta$ ) does not survive the revision, then this is because it would lead to an inconsistency with a consistent subset of the belief base and the trigger.

This says that only sentences of the belief base that are **relevant** for the (inconsistency with the) trigger, are allowed to be eliminated.

## Recap of/Continuing Lecture 10

# Ontology Change

- ▶ Considered ontology change from BR perspective
- ▶ Required adaptations and extensions for BR
  - ▶ non-classical logics
  - ▶ revision of finite belief bases
  - ▶ multiple revision
  - ▶ iterated revision

# Infinite Iteration and Learning



# Formal Learning Theory for Infinite Revision

- ▶ Iterable revision operators applied to potentially infinite sequence of triggers
- ▶ Define principles (postulates) that describe adequate behaviour
- ▶ The minimality ideas and relevant principles of BR not sufficient
- ▶ Let you guide by principles of inductive learning and **formal learning theory**
- ▶ Indeed, we need good principles for induction :)

<http://www.der-postillon.com/2015/10/autofahrer-entlarvt-geheimen.html>

# The Scientist-Nature-Scenario

- ▶ Class of possible worlds (one of them the real world = nature)
- ▶ Scientist has to answer queries regarding the real world
- ▶ He gets stream of data compatible with the real world
- ▶ Conjectures according to some strategy at every new arrival of trigger a hypothesis on the correct answer
- ▶ Success: Sequence of answers stabilizes to a correct hypothesis.

# The Scientist-Nature-Scenario for Orders

- ▶ Class of possible worlds
- ▶ Scientist answers query regarding the real world (problem)
- ▶ He gets stream of data compatible with the real world
- ▶ Conjectures according to some strategy at every new arrival of trigger a hypothesis on the correct answer
- ▶ Success: Sequence of answers stabilizes to a correct hypothesis.

## Example (Component of Order Example)

Strict orders  $<$  on  $\mathbb{N}$

- ▶ 0,1,2,3, ...
- ▶ 1,0,2,3, ...
- ▶ ... 3,2,1,0
- ▶ 0,2,4,6, ..., 1,3,5,7

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## Example (Component of Order Example)

Stream of data made up by facts (called environments)

- ▶  $R(2,3), R(1,2), R(0,2), R(1,4) \dots$   
(for world:  $0,1,2,3, \dots$ )
- ▶  $R(4,3), R(5,2), \dots$   
(for world:  $\dots 3,2,1,0$ )

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## Example (Component of Order Example)

Problem set: orders isomorphic to  $\omega \cup \omega^*$

- ▶  $0,1,2,3, \dots$  is isomorphic to  $\omega$
- ▶  $\dots 3,2,1,0$  is isomorphic to  $\omega^*$ .
- ▶ Problem query: Has order a least element?

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## Example (Component of Order Example)

Scientist solves problem  $P$  iff for every  $< \in P$  and every environment  $e$ :

- ▶ If  $<$  has least element, then cofinitely often scientist says yes on  $e(n)$  (on  $n$ -prefix of environment)
- ▶ If  $<$  has no least element, then for cofinitely many  $n$  scientist says no on  $e(n)$

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## Example (Component of Order Example)

Problem  $P = \{ \langle \in \omega \cup \omega^* \mid \langle \text{ has least element} \} \}$  is solvable

- ▶ Consider L-score: For any finite sequence it is the smallest number not occurring in right argument of  $R$
- ▶ G-score: smallest number not occurring in first argument of  $R$
- ▶ Scientist: If L-score lower than G-score on given prefix, say yes, otherwise no.

# Choosing Revision as Strategy

- ▶ Kelly investigates learning based on various revision operators defined for epistemic states
- ▶ Hypotheses = sentences in the belief sets
- ▶ Main (negative) result in (Kelly 98)

## Theorem

*Revision operators implementing a minimal (one-step) revision suffer from **inductive amnesia**: If and only if some of the past is forgotten, stabilization is guaranteed.*

**Lit:** K. T. Kelly. Iterated belief revision, reliability, and inductive amnesia. *Erkenntnis*, 50:11–58, 1998.



# Stabilization for Ontology Learning

## Example (Book Shopping Agent)

$$\begin{array}{l} O_{rec} \models \text{cheap} \equiv \text{costs} < 5\$, \quad \neg \text{costs} < 5\$(\text{'Faust'}) \\ O_{send} \models \text{cheap} \equiv \text{costs} < 6\$, \quad \text{costs} < 6\$(\text{'Faust'}) \end{array}$$

- ▶ Receiver: “List all cheap books by Goethe”
- ▶ Sender stream:  $\alpha_1 = \text{cheap}(\text{'Faust'})$ ,  $\alpha_2, \alpha_3, \dots$
- ▶ Integrating stream elements by revision operator  $\circ$  gives  
Output stream  $(O_{rec}^i)_{i \in \mathbb{N}}$ :

$$(O_{rec}, O_{rec} \circ \alpha_1, (O_{rec} \circ \alpha_1) \circ \alpha_2, \dots)$$

# Stabilization for (Amnesic) Ontology Learning

- ▶ Properties of  $(O_{rec}^i)_{i \in \mathbb{N}}$  depend on  $\circ$
- ▶ Special Case:  $\circ =$  weak type-2 operator (forgets quite a lot of from “old ontology”)
  - ▶ Prioritize incoming terminology
  - ▶ Simple mappings for disambiguationExample:  $cheap_{rec} \sqsubseteq cheap_{send}$ ,  $cheap \equiv cheap_{send}$

## Theorem (Eschenbach & Ö., 2011)

*For a (internally consistent) stream of atomic assertions the output streams of ontologies produced with weak type-2 operator stabilizes.*

Lit: Eschenbach and Ö. Ontology revision based on reinterpretation. Logic Journal of the IGPL, 18(4):579-616, 2010.

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# Non-Stabilization for (Non-Amnesic) Ontology Learning

- ▶ Special Case:  $\circ$  = strong type-2 operator (remembers “old ontology”)
    - ▶ Prioritize incoming terminology
    - ▶ Advanced mappings for disambiguation
- Example:  $cheap_{rec} \sqsubseteq cheap_{send}$ ,  
 $cheap_{send} \sqsubseteq cheap_{rec} \sqcup DifferConcept_{rec,send}$ ,  $cheap \equiv cheap_{send}$

## Theorem (Eschenbach & Ö., 2011)

*There is an ontology and a (internally consistent) stream of atomic assertions s.t. the output stream of ontologies produced with the strong type-2 operator does **not** stabilize.*

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# Choosing Revision as Strategy

- ▶ Martin/Osherson investigate learning based revision operators defined for finite sequences
- ▶ So their revision operators have always the whole history within the trigger
- ▶ This leads to positive results

## Theorem

*Revision operators provide ideal learning strategies: There is a revision operator a scientist can use to solve every (solvable) problem.*

**Lit:** E. Martin and D. Osherson. Scientific discovery based on belief revision. *Journal of Symbolic Logic*, 62(4):1352–1370, 1997.

## Next Slides

- ▶ Infinite sequence from stream processing perspective
  - ▶ Additional aspects: temporality of data, recency, data-drivenness, velocity
- ▶ Resume OBDA and consider how to lift them to temporal OBDA and streaming OBDA
  - ▶ Temporal OBDA: Add time aspect (somewhere)
  - ▶ Stream OBDA: Higher-level stream w.r.t. ontology (and mappings)

# Temporalized OBDA



# A Confession

- ▶ Ontology-Based Data Access on temporal and **Streaming Data**
- ▶ But: Streams are temporal streams and we talk about local temporal reasoning

# Adding a Temporal Dimension to OBDA

- ▶ Most conservative strategy: handle time as “ordinary” attribute *time*

$$\left\{ \begin{array}{l} \text{meas}(x) \wedge \\ \text{val}(x, y) \wedge \\ \text{time}(x, z) \end{array} \right\} \leftarrow$$

```
SELECT f(MID) AS m, Mval AS y, MtimeStamp AS z  
FROM MEASUREMENT
```

- ▶ Classical Mapping
- ▶ Pro: Minimal (no) adaptation
- ▶ Contra:
  - ▶ No control on “logic of time”
  - ▶ Need reification
    - ▶ sometimes necessary (because DLs provided only predicates up to arity 2)
    - ▶ but not that “natural”

# Flow of Time

- ▶ Flow of time  $(T, \leq_T)$  is a structure with a time domain  $T$  and a binary relation  $\leq_T$  over it.
- ▶ Flow metaphor hints on directionality and dynamic aspect of time
- ▶ But still different forms of flow are possible
  
- ▶ One can consider concrete structures of flow of (time), as done here
- ▶ Or investigate them additionally axiomatically
- ▶ An early model-theoretic and axiomatic treatise:  
[Lit: J. van Benthem. The Logic of Time: A Model-Theoretic Investigation into the Varieties of Temporal Ontology and Temporal Discourse. Reidel, 2. edition, 1991.](#)

# The Family of Flows of Time

- ▶ Domain  $T$ 
  - ▶ points (atomic time instances)
  - ▶ pairs of points (application time, transaction time)
  - ▶ intervals etc.
- ▶ Properties of the time relation  $\leq_T$ 
  - ▶ Non-branching (linear) vs. branching  
Linearity:
    - ▶ reflexive:  $\forall t \in T: t \leq_T t$
    - ▶ antisymmetric:  $\forall t_1, t_2 \in T: (t_1 \leq t_2 \wedge t_2 \leq_T t_1) \Rightarrow t_1 = t_2$
    - ▶ transitive:  $\forall t_1, t_2, t_3 \in T: (t_1 \leq_T t_2 \wedge t_2 \leq t_3) \Rightarrow t_1 \leq t_3$ .
    - ▶ total:  $\forall t_1, t_2 \in T: t_1 \leq t_2 \vee t_2 \leq t_1 \vee t_1 = t_2$ .
- ▶ Existence of first or last element
- ▶ discreteness (Example:  $T = \mathbb{N}$ ); also used for modeling state sequences;
- ▶ density (Example:  $T = \mathbb{Q}$ );
- ▶ continuity (Example:  $T = \mathbb{R}$ )

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# Temporalized OBDA: General Approach

- ▶ Semantics rests on family of interpretations  $(\mathcal{I}_t)_{t \in T}$
- ▶ Temporal ABox  $\tilde{\mathcal{A}}$ : Finite set of  $T$ -tagged ABox axioms

## Example

$val(s_0, 90^\circ)\langle 3s \rangle$  holds in  $(\mathcal{I}_t)_{t \in T}$  iff  $\mathcal{I}_{3s} \models val(s_0, 90^\circ)$   
“sensor  $s_0$  has value  $90^\circ$  at time point  $3s$ ”

- ▶ Alternative sequence representation of temporal ABox  $\tilde{\mathcal{A}}$ 
  - ▶  $(\mathcal{A}_t)_{t \in T'}$  (where  $T'$  are set of timestamps in  $T$ )
  - ▶  $\mathcal{A}_t = \{ax \mid ax\langle t \rangle \in \tilde{\mathcal{A}}\}$

## Definition (Adapted notion of OBDA rewriting)

$$cert(Q, (Sig, T, (\mathcal{A}_t)_{t \in T'})) = ans(Q_{rew}, (DB(\mathcal{A}_t))_{t \in T'})$$



## Temporalized OBDA:TCQs

- ▶ Different approaches based on modal (temporal) operators
- ▶ LTL (linear temporal logic) operators only in QL (Borgwardt et al. 13)

### Example

$$Critical(x) = \exists y. Turbine(x) \wedge showsMessage(x, y) \wedge FailureMessage(y)$$

$$Q(x) = \bigcirc^{-1} \bigcirc^{-1} \bigcirc^{-1} (\diamond(Critical(x) \wedge \bigcirc \diamond Critical(x)))$$

“turbine has been at least two times in a critical situation in the last three time units”

- ▶ CQ embedded into LTL template
- ▶ Special operators taking care of endpoints of state sequencing
- ▶ Not well-suited for OBDA as non-safe
- ▶ Rewriting simple due to atemporal TBox

# Temporalized OBDA: TQL

- ▶ LTL operators in TBox and T argument in QL

## Example

TBox axiom :  $showsAnomaly \sqsubseteq \diamond UnplannedShutDown$   
“if turbine shows anomaly (now)  
then sometime in the future it will shut down”

Query :  $\exists t. 3s \leq t \leq 6s \wedge showsAnomaly(x, t)$

- ▶ Can formulate rigidity assumptions
- ▶ Rewriting not trivial

**Lit:** A. Artale, R. Kontchakov, F. Wolter, and M. Zakharyashev. Temporal description logic for ontology- based data access. In IJCAI'13, pages 711–717. AAAI Press, 2013.

# Stream Basics

# Streams

## Definition (Stream)

A stream  $S$  is a potentially infinite sequence of objects  $d$  over some domain  $D$ .

- ▶ “Streams are forever”

Lit: J. Endrullis, D. Hendriks, and J. W. Klop. Streams are forever. *Bulletin of the EATCS*, 109:70–106, 2013.

- ▶ “Order matters!”

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- ▶ “It’s a streaming world!”

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# Adding a Time Dimension

## Definition (Temporal Stream)

A temporal stream  $S$  is a potentially infinite sequence of timestamped objects  $d\langle t \rangle$  over some domain  $D$  and flow of time  $(T, \leq_T)$ .

- ▶ Consider non-branching (or: linear) time, i.e.,  $\leq_T$  is
- ▶ We assume that there is no last element in  $T$
- ▶ We do not restrict  $T$  further, so it may be
  - ▶ discrete or
  - ▶ dense or
  - ▶ continuous



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# Arrival Ordering

- ▶ Sequence fixed by arrival ordering fixed  $<_{ar}$
- ▶  $<_{ar}$  is a strict total ordering on the elements of  $S$
- ▶ Synchronous streams:  $\leq_T$  compatible with  $<_{ar}$
- ▶ Compatibility: For all  $d_1\langle t_1 \rangle, d_2\langle t_2 \rangle \in S$ : If  $d_1\langle t_1 \rangle <_{ar} d_2\langle t_2 \rangle$ , then  $t_1 \leq_T t_2$ .
- ▶ Asynchronous streams:  $\leq_T$  not necessarily compatible with  $<_{ar}$

## Convention for the following

- ▶ Consider only temporal streams
- ▶ Consider only synchronous streams  $\implies$  neglect  $<_{ar}$ .
- ▶ Represent streams as a potentially infinite multi-set (bag) of elements

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# Stream Stack and Stream Research

- ▶ **Low-level sensor perspective** (semantic sensor networks)
  - ▶ Develop fast algorithms on high-frequency streams with minimal space consumption
  - ▶ Considers approximate algorithms for aggregation functions
  - ▶ See lecture “Non-standard DBs” by Ralf Möller
- ▶ **Data stream management system (DSMS) perspective**
  - ▶ Provide whole DB systems for streams of structured (relational) data
  - ▶ Deals with all aspects relevant in static DBMS adapted to stream scenario
  - ▶ See lecture “Non-standard DBs” by Ralf Möller and this lecture
  - ▶ Stream Query Language
- ▶ **High-level and Ontology layer streams**
  - ▶ Processing stream of assertions (RDF triples) w.r.t. an ontology
  - ▶ Related: Complex Event Processing (CEP)
  - ▶ this and next lecture

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## Local vs. global stream processing

- ▶ **Global aim: Learn** about the whole by looking at the parts
  - ▶ Examples: inductive learning, ontology change, iterated belief revision (see slides before), robotics oriented stream processing with plan generation
  - ▶ May produce also an output stream
  - ▶ But in the end the whole stream counts
  
- ▶ **Local aim: Monitor** window contents with time-local
  - ▶ Examples: Real-time monitoring, simulation for reactive diagnostics
  
- ▶ Categories not exclusive
  - ▶ In learning one applies operation on (NOW)-window to learn about stream
  - ▶ In predictive analytics one monitors with window in order to predict upcoming events



# Domain Objects for Streams

## Definition (Temporal Stream)

A stream  $S$  is a sequence of timestamped objects  $d\langle t \rangle$  over some domain  $D$  and flow of time  $(T, \leq_T)$ .

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**Streamified OBDA** has to deal with **different types of domains**

$D$  = a set of **typed relational tuples** adhering to a relational schema

- ▶ Streams at the backend sources
- ▶  $S_{rel} = \{(s_1, 90^\circ)\langle 1s \rangle, (s_2, 92^\circ)\langle 2s \rangle, (s_1, 94^\circ)\langle 3s \rangle, \dots\}$
- ▶ Schema: hasSensorRelation(Sensor:string, temperature:integer)

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$D$  = set of **untyped tuples** (of the same arity)

- ▶ Stream of tuples resulting as bindings for subqueries

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**Streamified OBDA** has to deal with **different types of domains**

$D$  = set of **assertions (RDF tuples)**.

- ▶  $S_{rdf} = \{ val(s_0, 90^\circ)\langle 1s \rangle, val(s_2, 92^\circ)\langle 2s \rangle, val(s_1, 94^\circ)\langle 3s \rangle, \dots \}$

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$D =$  set of **RDF graphs**

# Taming the Infinite

Nearly all stream provide a fundamental means to cope with potential infinity of streams, namely ...

# Taming the Infinite

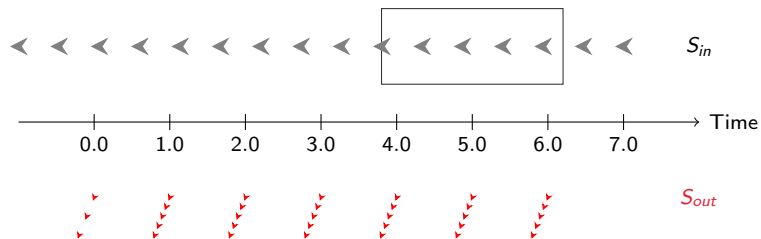
Nearly all stream provide a fundamental means to cope with potential infinity of streams, namely ...



- ▶ Stream query continuous, not one-shot activity
- ▶ Window content continuously updated

# Taming the Infinite

Nearly all stream provide a fundamental means to cope with potential infinity of streams, namely ...



- ▶ Here a time-based window of width 3 seconds
- ▶ and slide 1 second is applied



# Window Operators: Classification

- ▶ Direction of movement of the endpoints
  - ▶ Both endpoints fixed (needed for “historical” queries)
  - ▶ Both moving/sliding
  - ▶ One moving the other not
  
- ▶ Window size
  - ▶ Temporal
  - ▶ Tuple-based
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# Relational Stream Processing with CQL

# Relational Data Stream Processing

- ▶ Different groups working on DSMS around 2004
  - ▶ Academic prototypes: STREAM and CQL (Stanford); TelgraphCQ (Berkeley) (extends PostgreSQL); Aurora/Borealis (Brandeis, Brown and MIT); PIPES from Marburg University
  - ▶ Commercial systems: StreamBase, Truviso (Standalone), extensions of commercial DBMS (MySQL, PostgreSQL, DB2 etc.)
- ▶ Though well investigated and many similarities there is no streaming SQL standard
- ▶ First try for standardization:
  - Lit:** N. Jain et al. Towards a streaming sql standard. Proc. VLDB Endow., 1(2):1379–1390, Aug. 2008.
- ▶ But if development speed similar to that for introducing temporal dimension into SQL, then we have to wait...

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## CQL (Continuous Query Language)

- ▶ Early relational stream query language extending SQL
- ▶ Developed in Stanford as part of a DSMS called STREAM
- ▶ Semantics theoretically specified by denotational semantics
- ▶ Practically, development of CQL was accompanied by the development the Linear Road Benchmark (LRB)  
(<http://www.cs.brandeis.edu/~linearroad/>)
- ▶ Had immense impact also on development of early RDF streaming engines in RSP community  
<https://www.w3.org/community/rsp/>)

**Lit:** A. Arasu, S. Babu, and J. Widom. The CQL continuous query language: semantic foundations and query execution. *The VLDB Journal*, 15:121–142, 2006.

**Lit:** A. Arasu et al. Linear road: A stream data management benchmark. In *VLDB*, pages 480–491. 2004.

# CQL Operators

- ▶ Special data structure next to streams: relations  $R$ 
  - ▶  $R$  maps times  $t$  to ordinary (instantaneous) relations  $R(t)$
  - ▶ Motivation: Use of ordinary SQL operators on instantaneous relations
- ▶ Operators
  - ▶ Stream-to-relation = window operator
  - ▶ Relation-to-relation = standard SQL operators at every single time point
  - ▶ relation-stream = for getting streams agains
- ▶ Non-predictability condition for operators  $op$ :
  - ▶ If two inputs  $S_1$ ,  $S_2$  are the same up to  $t$ , then  $op(S_1)(t) = op(S_2)(t)$ .



# CQL Windows

- ▶ Window operators are stream-to-relation operators
- ▶ CQL knows tuple-based, partition based, and **time-based windows**

## Definition (Semantics of Window Operator)

$R = S$  [Range  $wr$  Slide  $sl$ ]

- ▶ with slide parameter  $sl$  and range  $wr$
- ▶  $t_{start} = \lfloor t/sl \rfloor \cdot sl$
- ▶  $t_{end} = \max\{t_{start} - wr, 0\}$

$$R(t) = \begin{cases} \emptyset & \text{if } t < sl \\ \{s \mid s\langle t' \rangle \in S \text{ and } t_{end} \leq t' \leq t_{start}\} & \text{else} \end{cases}$$

- ▶ Standard slide = 1: [RANGE  $wr$ ]
- ▶ Left end fixed: [Range UNBOUND]
- ▶ Width 0: [NOW]

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# Sliding Window Example in CQL

- ▶ Flow of time  $(\mathbb{N}, \leq)$
- ▶ Input stream

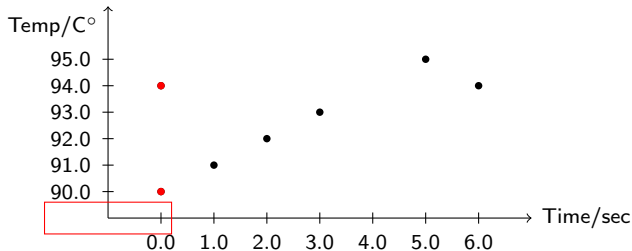
$$S = \{(s_0, 90^\circ)\langle 0 \rangle, (s_1, 94^\circ)\langle 0 \rangle, (s_0, 91^\circ)\langle 1 \rangle, (s_0, 92^\circ)\langle 2 \rangle, \\ (s_0, 93^\circ)\langle 3 \rangle, (s_0, 95^\circ)\langle 5 \rangle, (s_0, 94^\circ)\langle 6 \rangle, \dots\}$$

- ▶ Output relation  $R = S$  [Range 2 Slide 1]

| $t :$    | 0                               | 1                                               | 2                                                               | 3                                               | 4                               | 5                                               | 6                                               |
|----------|---------------------------------|-------------------------------------------------|-----------------------------------------------------------------|-------------------------------------------------|---------------------------------|-------------------------------------------------|-------------------------------------------------|
| $R(t) :$ | $\{(s_0, 90),$<br>$(s_1, 94)\}$ | $\{(s_0, 90),$<br>$(s_1, 94),$<br>$(s_0, 91)\}$ | $\{(s_0, 90),$<br>$(s_1, 94),$<br>$(s_0, 91),$<br>$(s_0, 92)\}$ | $\{(s_0, 91),$<br>$(s_0, 92),$<br>$(s_0, 93)\}$ | $\{(s_0, 92),$<br>$(s_0, 93)\}$ | $\{(s_0, 92),$<br>$(s_0, 93),$<br>$(s_0, 95)\}$ | $\{(s_0, 93),$<br>$(s_0, 95),$<br>$(s_0, 94)\}$ |

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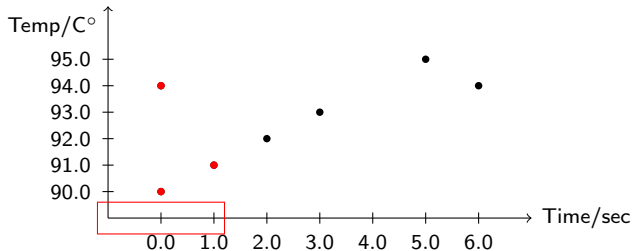


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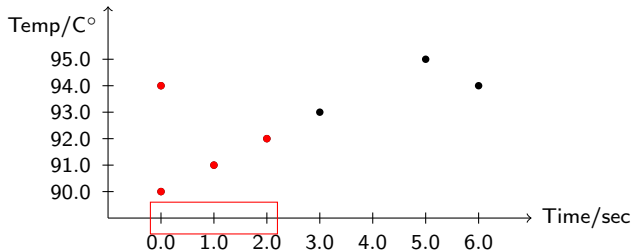


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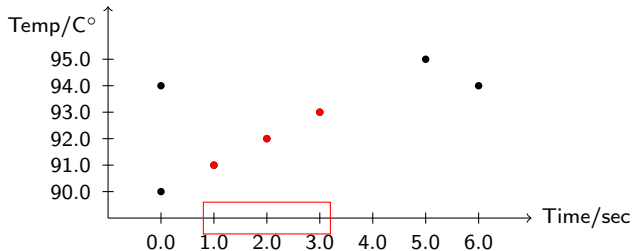


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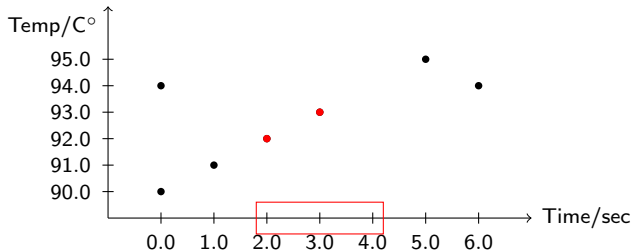
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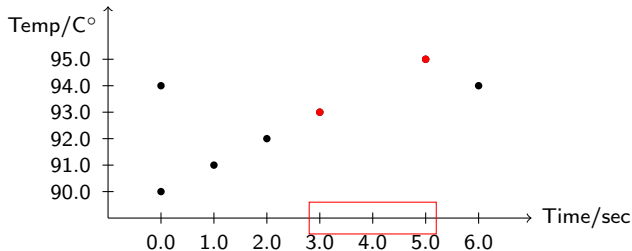


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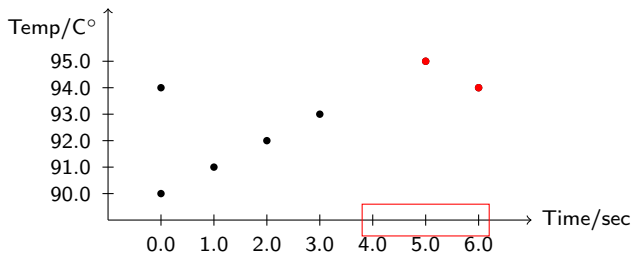


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## Relation vs. Stream

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- ▶ Note that there are also entries for second 4
- ▶ Note that timestamps are lost in the bags
- ▶ Slides are local to streams and may be different over different streams

## Relation-To-Stream Operators

- ▶ Output stream of input relation  $R$ :

$$Istream(R) = \bigcup_{t \in T} (R(t) \setminus R(t-1)) \times \{t\}$$

stream of inserted elements

$$Dstream(R) = \bigcup_{t \in T} (R(t-1) \setminus R(t)) \times \{t\}$$

stream of deleted elements

$$Rstream(R) = \bigcup_{t \in T} R(t) \times \{t\}$$

stream of all elements

- ▶ In CQL  $IStream$  and  $DStream$  are syntactic sugar

# Sensor Measurement CQL Example

## Example

```
SELECT Rstream(m.sensorID)
FROM Msmt[Range 1] as m, Events[Range 2] as e
WHERE m.val > 30 AND
      e.category = Alarm AND
      m.sensorID = e.sensorID
```

- ▶ Stream join realized by join of window contents
- ▶ Output is a stream

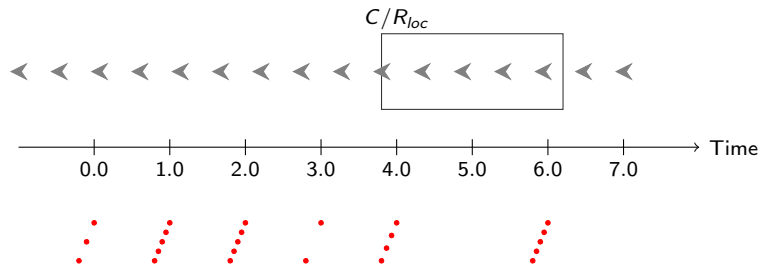
## Non-discrete Time Flows

- ▶ Taken literally, CQL window definitions work only for discrete flows of times
- ▶ Time flow:  $(T, \leq) = (\mathbb{R}, \leq)$
- ▶ Input stream:  $S = \{i \langle i \rangle \mid i \in \mathbb{N}\}$
- ▶  $RStream(S[RANGE 1 SLIDE 1])$  is “stream” with cardinality of  $\mathbb{R}$
- ▶ “Solution” in CQL hidden in stream engine layer
- ▶ Heartbeat with smallest possible time granularity

# High-Level Declarative Stream Processing



# Local Reasoning Service



- ▶ Need to apply calculation/reasoning  $CR_{loc}$  locally, e.g.
  - ▶ arithmetics, timeseries analysis operations
  - ▶ SELECT querying, CONSTRUCT querying, abduction, revision, planning

# High-Level and Declarative

- ▶ **Declarative:**

Stream elements have “assertional status” and allow for symbolic processing

## Example (Relational data streams)

Stream element  $(sensor, val)\langle 3sec \rangle$  “asserts” that sensor shows some value at second 3

- ▶ **High-Level:**

Streams are processed with respect to some background knowledge base such as a set of rules or an ontology.

## Example (Streams of time-tagged ABox assertions)

Streams elements of form  $val(sensor, val)\langle 3sec \rangle$  evaluated w.r.t. to an ontology containing, e.g., axiom  $tempVal \sqsubseteq val$

# High-Level and Declarative

- ▶ **Declarative:**

Stream elements have “assertional status” and allow for symbolic processing

## Example (Relational data streams)

Stream element  $(sensor, val)\langle 3sec \rangle$  “asserts” that sensor shows some value at second 3

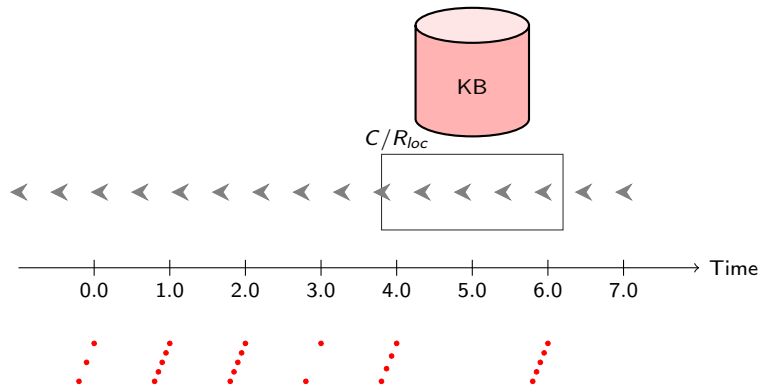
- ▶ **High-Level:**

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## Example (Streams of time-tagged ABox assertions)

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# Local Reasoning Service



- ▶ Need to apply calculation/reasoning  $CR_{loc}$  locally, e.g.
  - ▶ arithmetics, timeseries analysis operations
  - ▶ SELECT querying, CONSTRUCT querying, abduction, revision, planning ( $\implies$  high-level & declarative)

# Streamified OBDA

- ▶ Nearly ontology layer stream processing
  - ▶ CEP (Complex event processing)
  - ▶ EP-SPARQL/ETALIS, T-REX/ TESLA, Commonsens/ESPER
- ▶ RDF-ontology layer stream processing
  - ▶ C-SPARQL (della Valle et al. 09), CQELS
- ▶ Classical OBDA stream processing
  - ▶ SPARQL<sub>Stream</sub> (Calbimonte et al. 12) and MorphStream
- ▶ All approaches rely on CQL window semantics
- ▶ extend SPARQL or use some derivative of it
- ▶ Treat timestamped RDF triples but use reification

# Example of Reified Handling

## Example

```
SELECT ?windspeed ?tidespeed
FROM NAMED STREAM <http://swiss-experiment.ch/
                  data#WannengratSensors.srdf>
[NOW-10 MINUTES TO NOW-0 MINUTES]
WHERE
  ?WaveObs a ssn:Observation;
            ssn:observationResult ?windspeed;
            ssn:observedProperty sweetSpeed:WindSpeed.
  ?TideObs a ssn:Observation;
            ssn:observationResult ?tidespeed;
            ssn:observedProperty sweetSpeed:TideSpeed.
FILTER (?tidespeed<?windspeed)
```

## SRBench (Zhang et al. 2012)

- ▶ Benchmark for RDF/SPARQL Stream Engines
- ▶ Contains data from LinkedSensorData, GeoNames, DBPedia
- ▶ Mainly queries for functionality tests, with eye on SPARQL 1.1 functionalities

Example (Example Query (to test basic pattern matching))

Q1. Get the rainfall observed once in an hour.

- ▶ Tested on CQELS, SPARQL<sub>Stream</sub> and C-SPARQL
- ▶ Test results (for engine versions as of 2012)
  - ▶ Basic SPARQL features supported
  - ▶ SPARQL 1.1 features (property paths) rather not supported
  - ▶ Only C-SPARQL supports reasoning (on RDFS level) (tested subsumption and sameAs)
  - ▶ Combined treatment of static data plus streaming data only for CQELS and C-SPARQL